

MODIS Team Responsibilities

Jan-Peter Muller/Michael Barnsley
Department of Photogrammetry & Surveying/Geography
University College London

Photogrammetric Camera Model SW (forward/reverse)

Topographic Correction SW for land surface

Scene simulation Monte Carlo Ray-tracer SW

Global BRDF Data for land surface

Global Spectral Albedo Data for Earth surface

Global Surface Roughness Parameter Data

Global Land Cover Data-sets for Climate Models

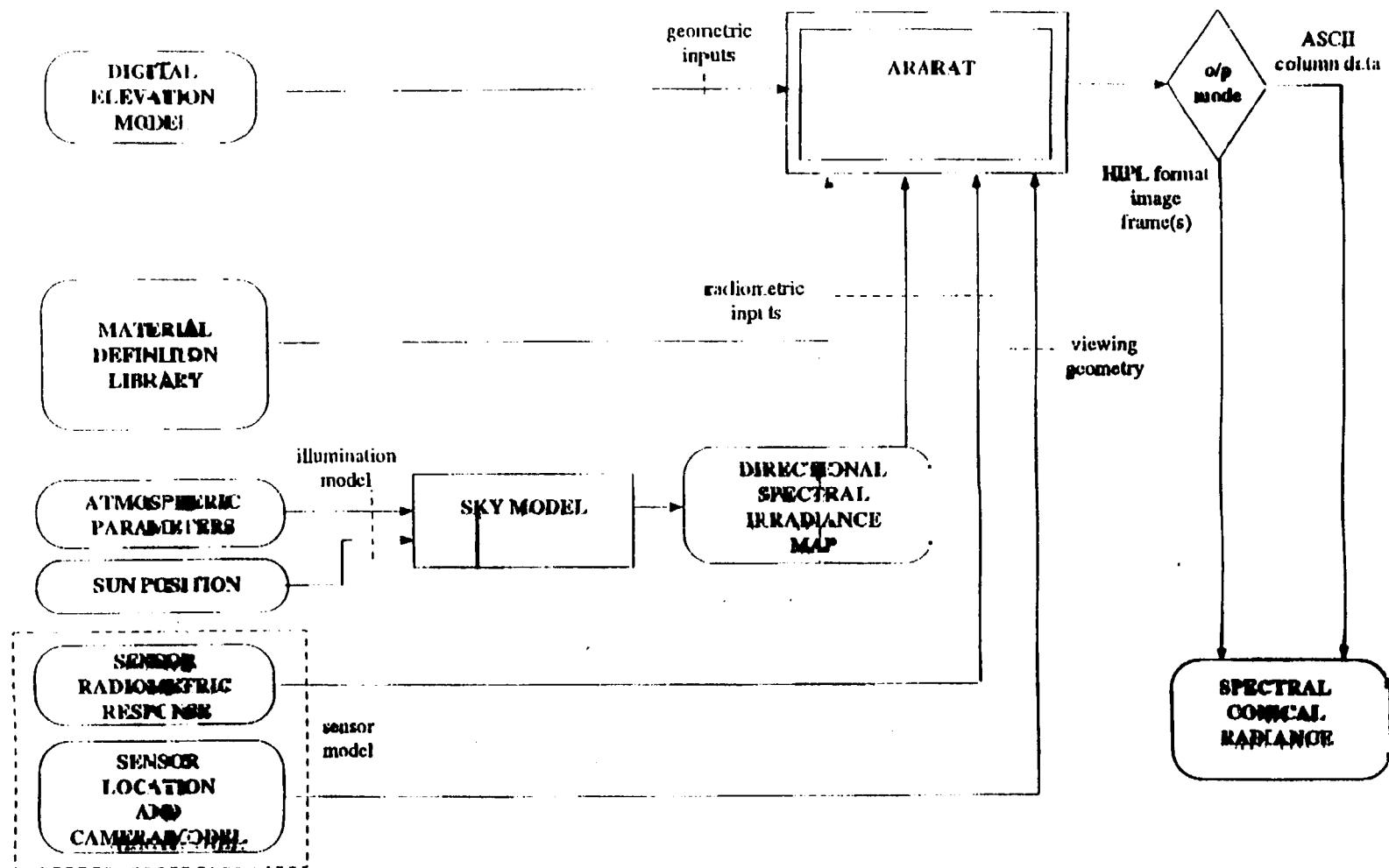
Modelling of MODIS Sensors

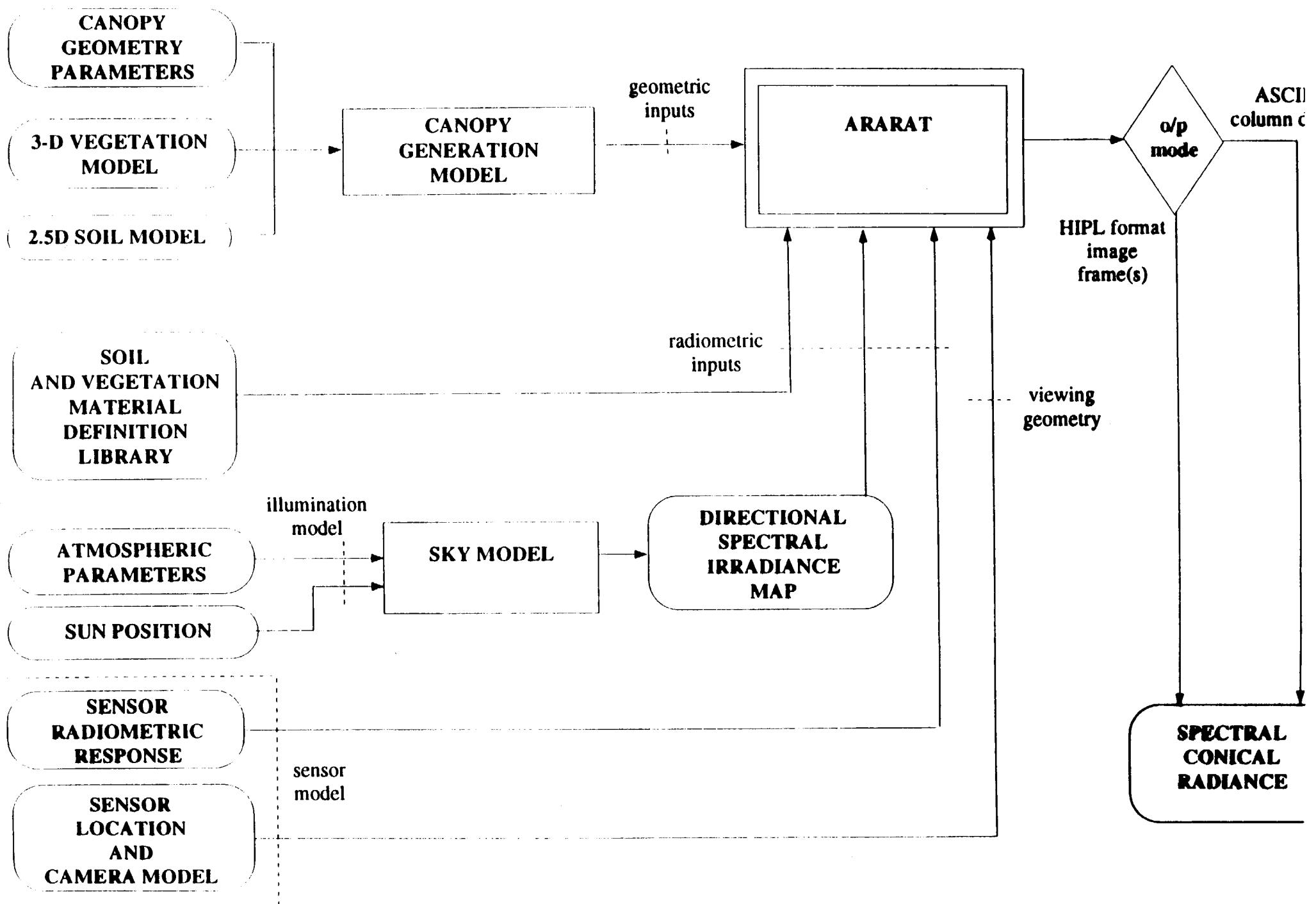
Jan-Peter Muller

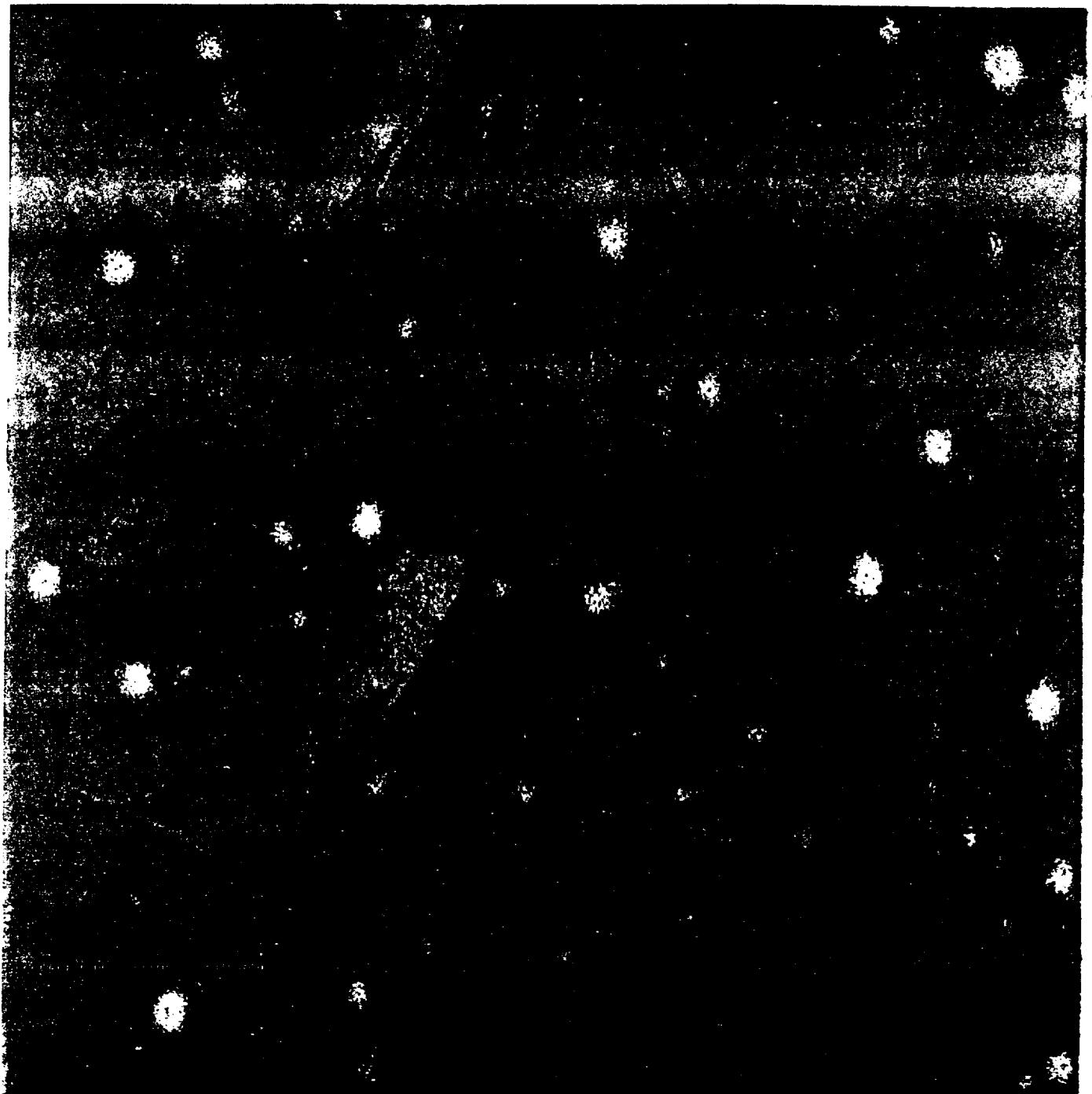
Department of Photogrammetry & Surveying
University College London
email: jpmuller@ps.ucl.ac.uk

MODCAL 1991 Progress Report

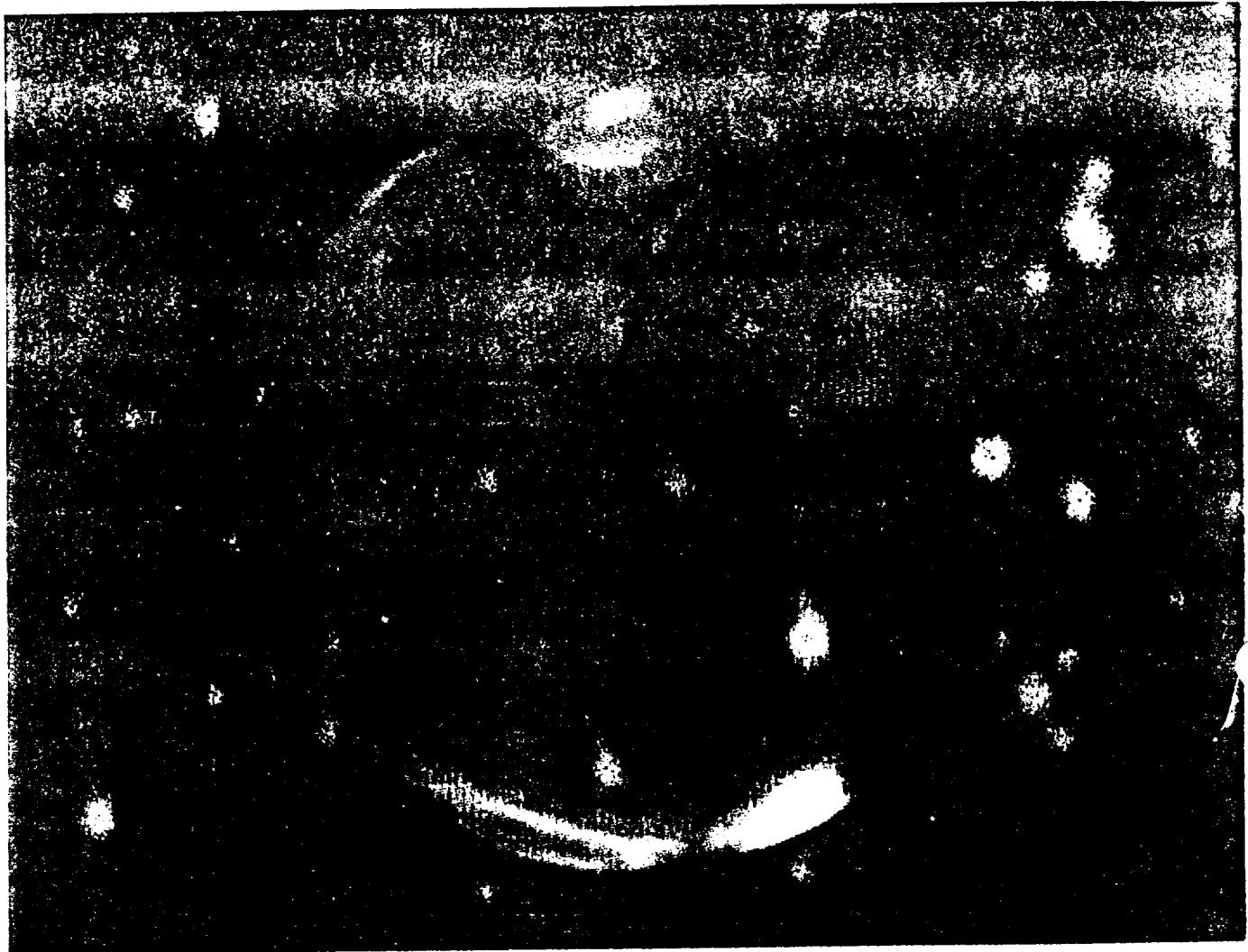
- "Math Model" developed for production of synthetic satellite scenes taking into account all known interactions of electro-magnetic radiation with matter.
- uses Monte Carlo ray-tracing techniques ("ARARAT")
- can be applied to modelling of scene radiance from the leaf scale to the global scale. Also can be applied to ocean.
- uses Zibordi & Voss spectral sky irradiance model as 6S is still not available.
- sensitivity studies for FIFE test site started on topographic shading and shadowing effects for AVHRR and MODIS images
- currently still uses "pin-hole camera geometry" as no information has yet been supplied by MCST on MODIS camera geometry (pointing vector through focal point as a function of time in WGS84 co-ordinates).
- camera model (forward and reverse) for ASAS and MAS being developed using additional parameter approach







maize plant: diffuse sampling sensitivity experiment:
ray-depth: 1 diffuse-rays: 1,4,8,16



Erd Sicht / Global Change Video

story: OZONE

data: TOMS daily ozone concentration, UCL ImagingBase

source: NASA GSFC

(C) UCL 1992

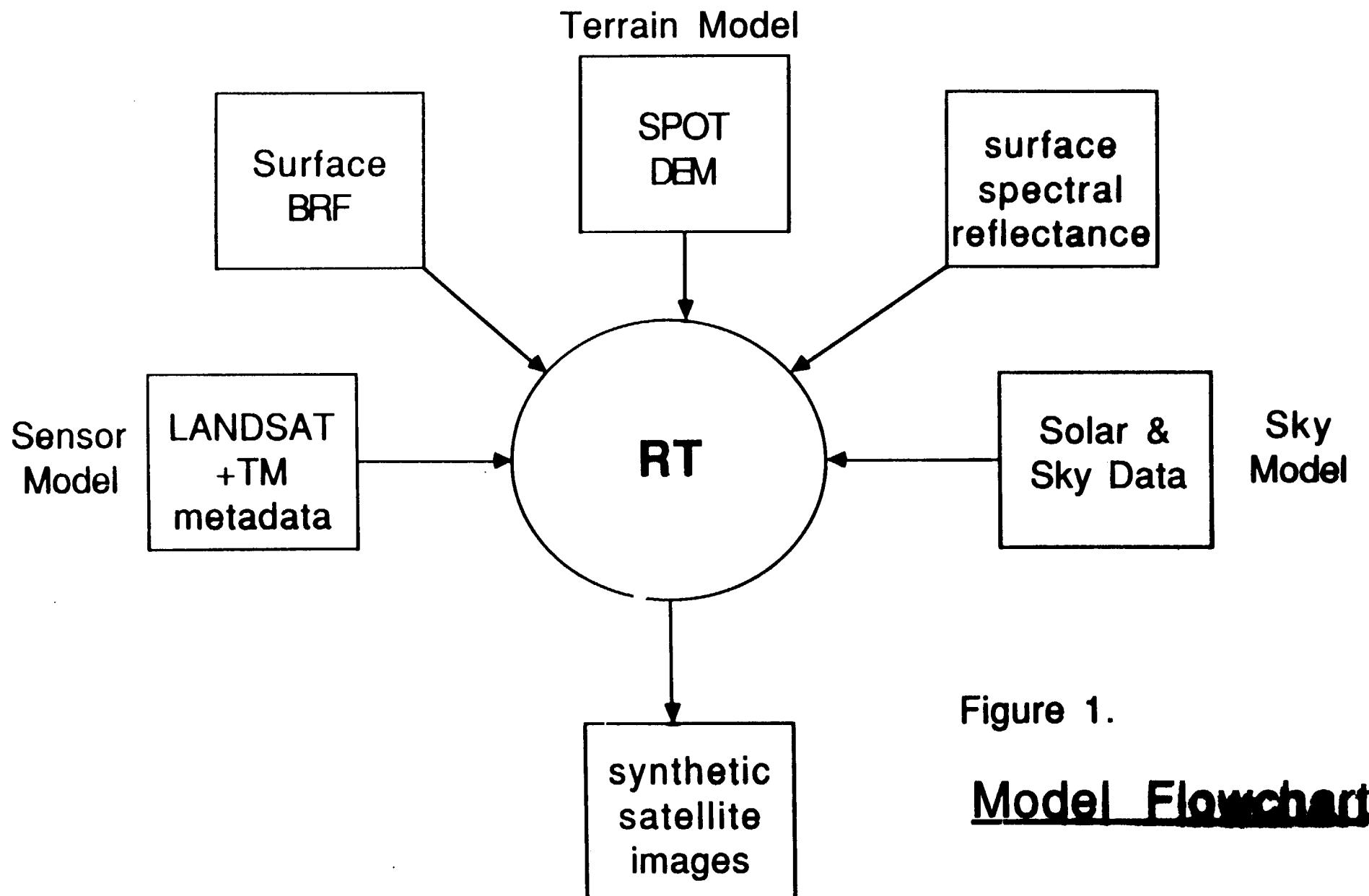
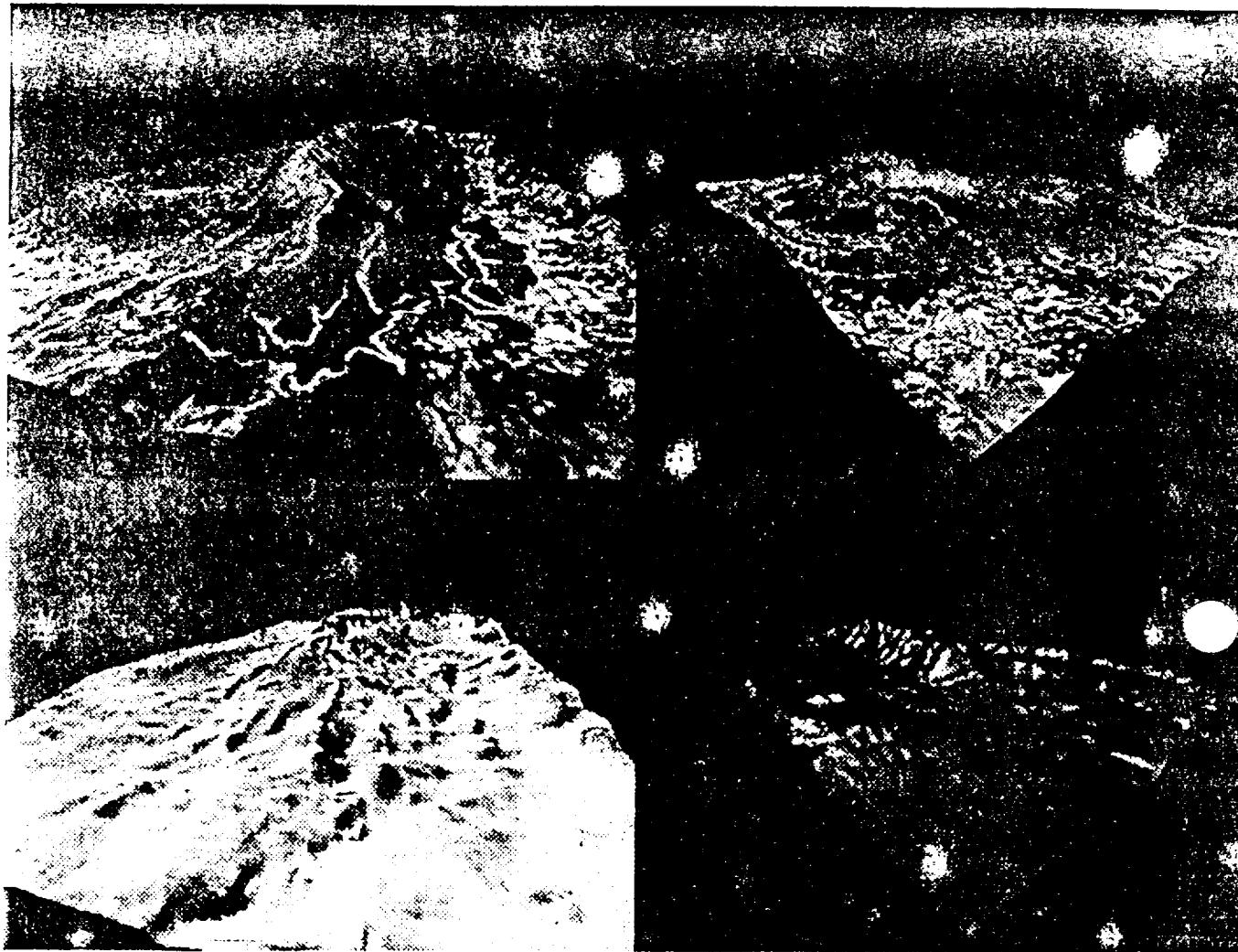
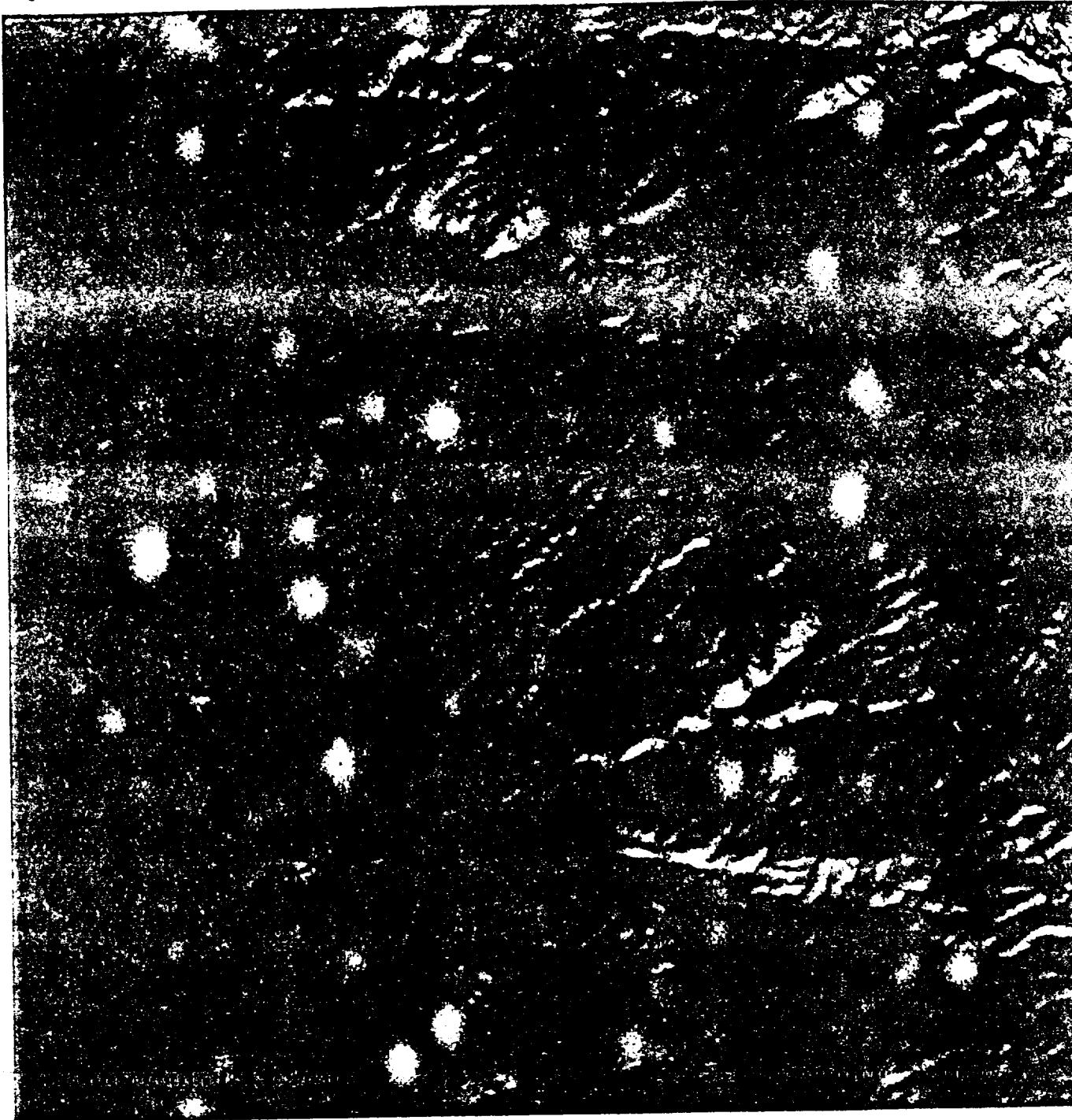
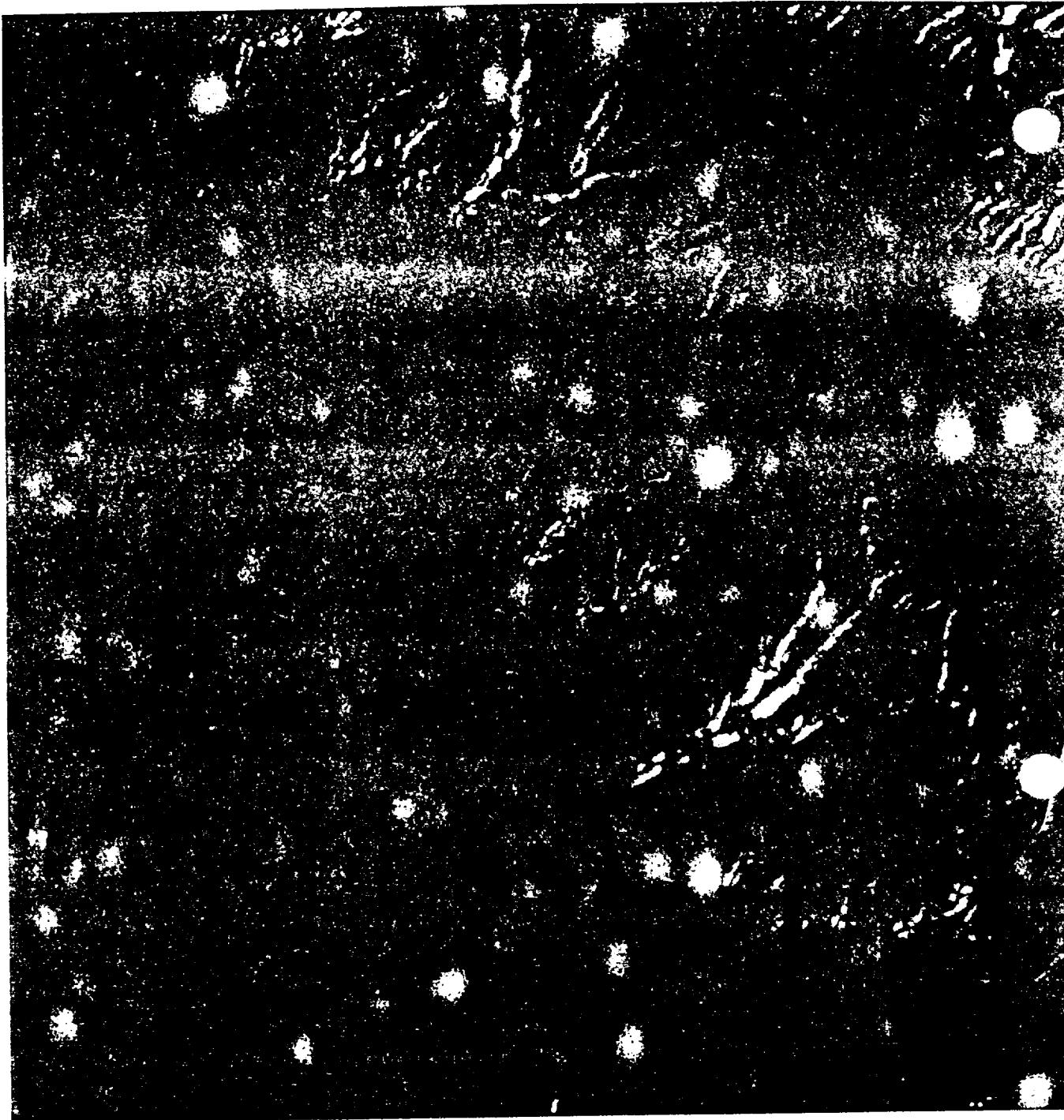


Figure 1.
Model Flowchart





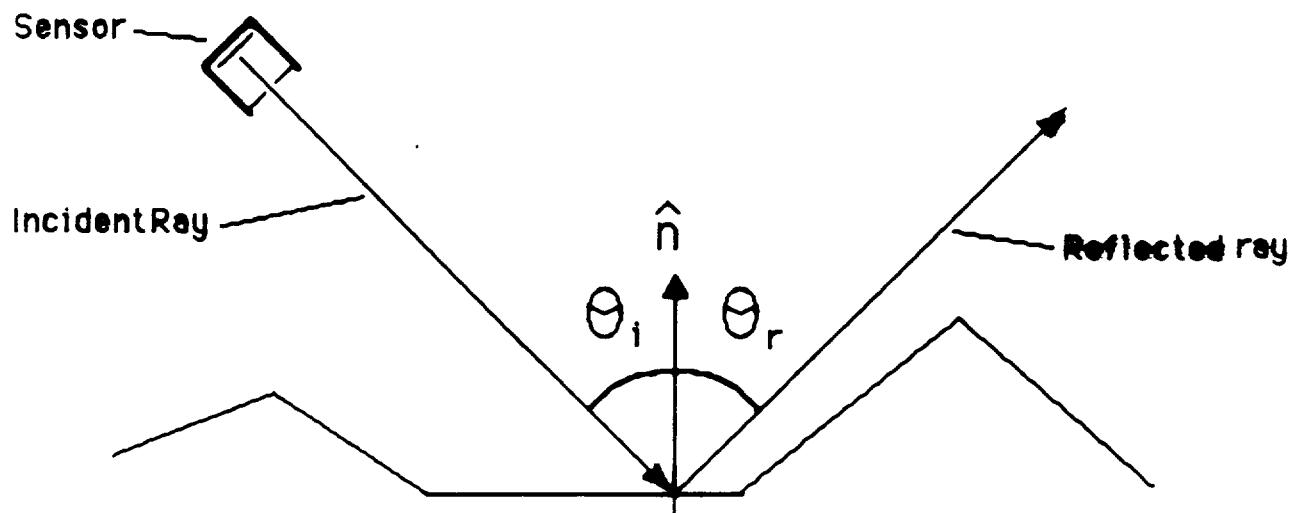
False Colour Composite of bands 7,3,1 as RGB. This area was extracted
to match the area of the DEM used to generate the synthetic images.



False Colour Composite of bands 7,3,1 as RGB. This area was extracted
to match the area of the DEM used to generate the synthetic images.

Figure 2.

Ray Propagation:
Specular Reflectance



θ_i - Angle of Incidence

θ_r - Angle of reflectance

\hat{n} - Normal Vector

θ_s - Sun Angle

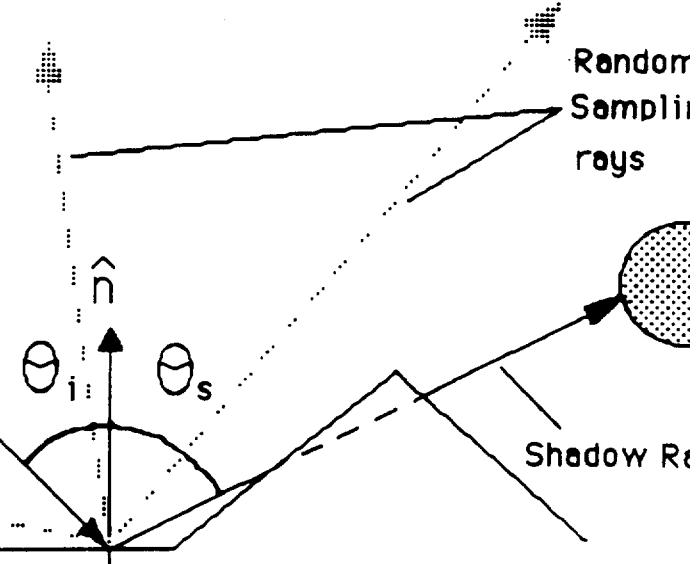
A single reflected ray can determine the intensity to assign to the incident ray.

Figure 3.

Ray Propagation:
Lambertian Reflectance



Primary ray intensity is determined by the integral of all incident irradiance. Random rays sample the illuminating hemisphere & the shadow ray samples the Sun.



Spectral and Directional Sky Radiance Model (Zibordi and Voss 1989)

Inputs

Permanent Gases
Molecular Scattering

Rayleigh

Aerosol Single
Scattering Albedo

Aerosol

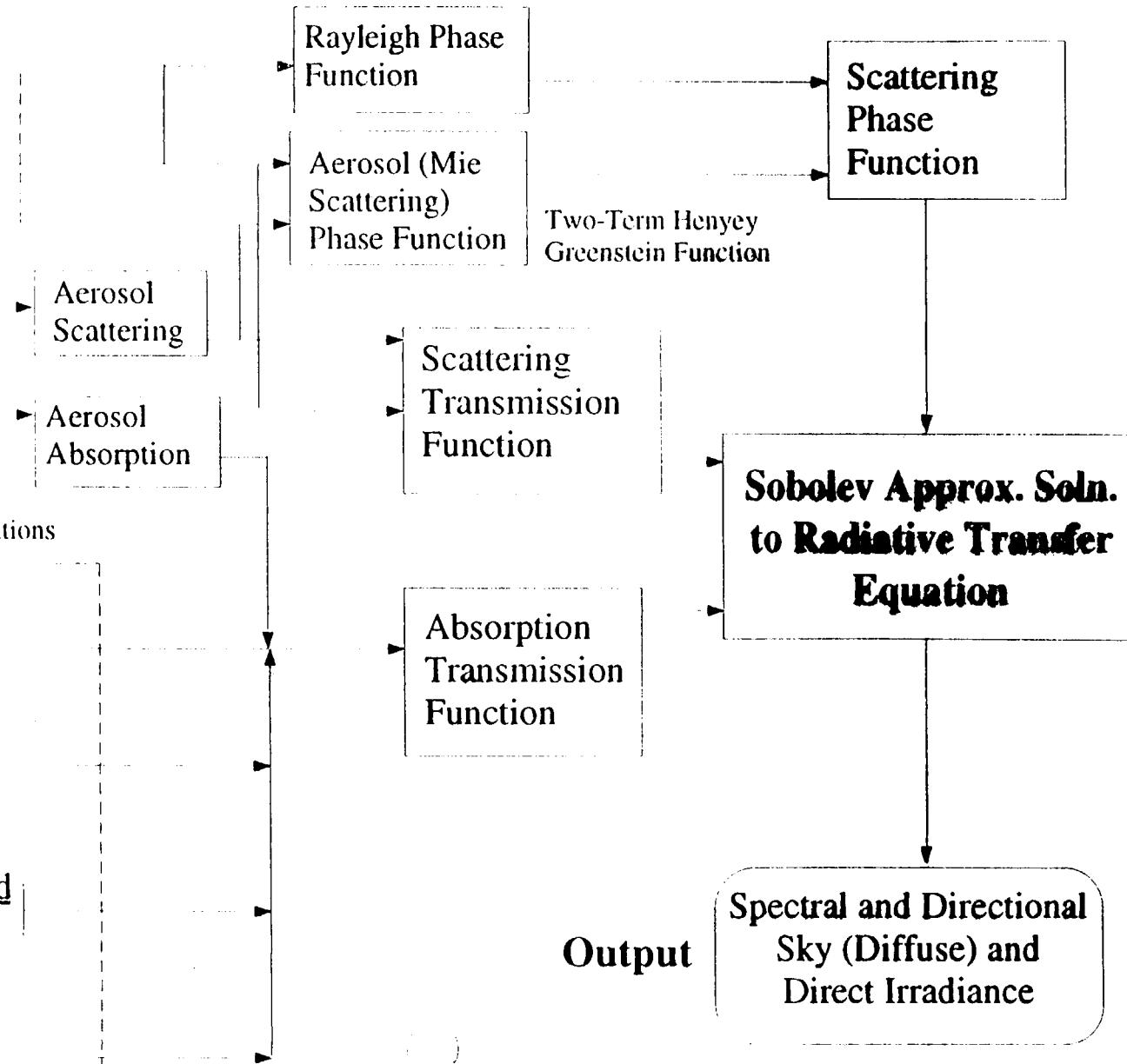
Atmospheric Concentrations
and Absorption Spectra

Ozone

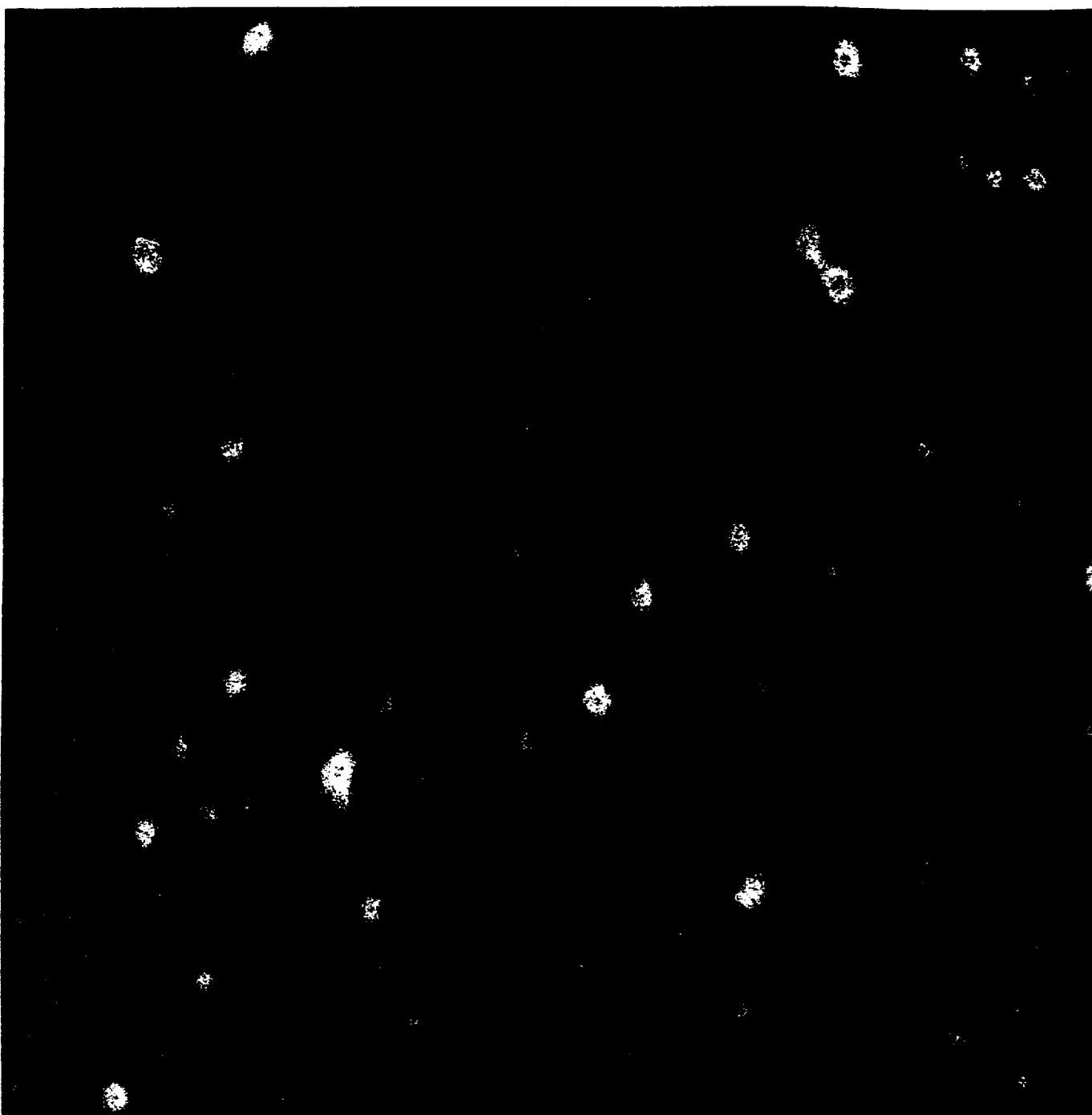
Water Vapour

"Uniformly Mixed
Gases" (CO₂, O₂)

Methane

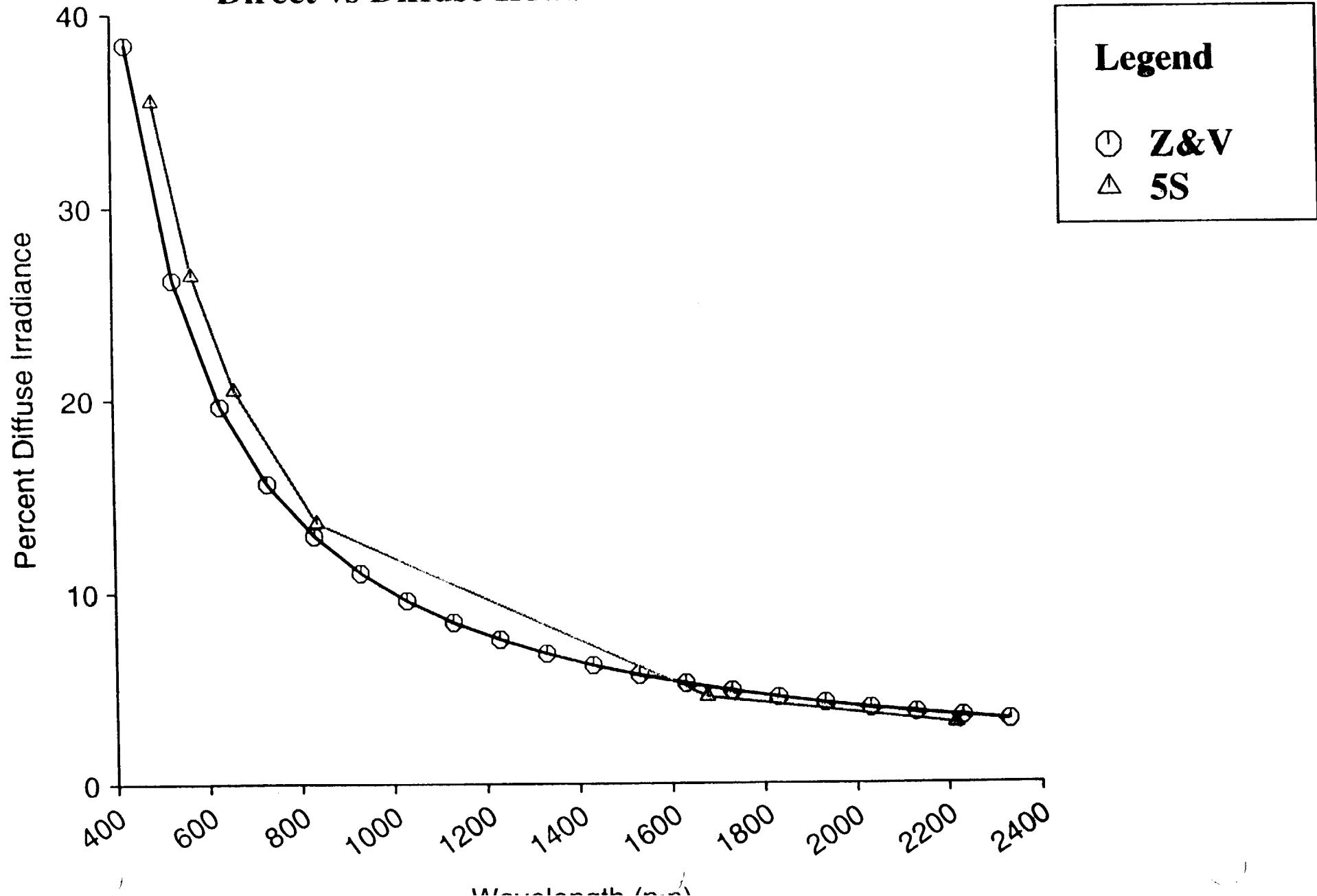


ZIBORDI AND VOSS IRRADIANCE . BLUE SKY

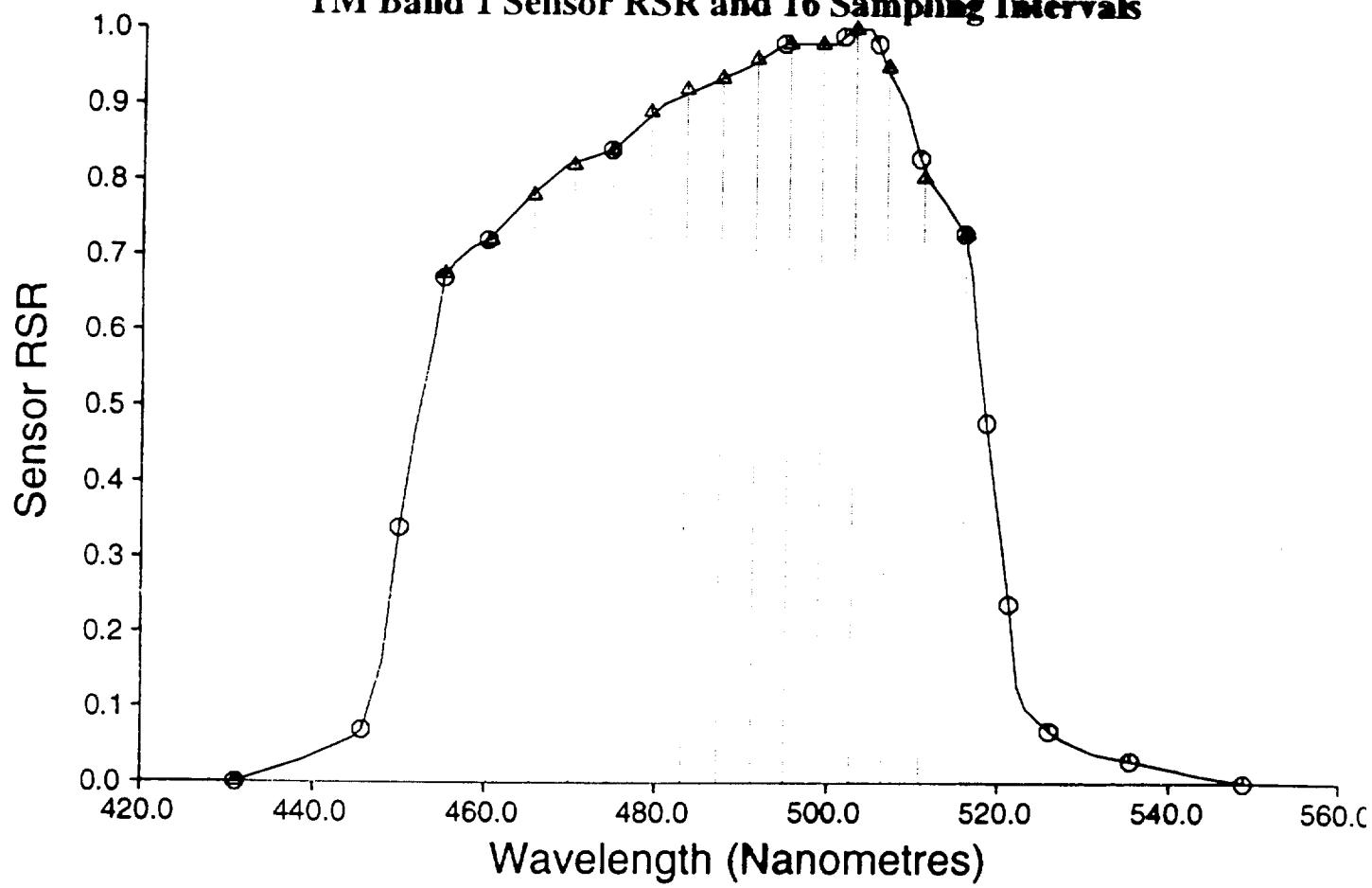


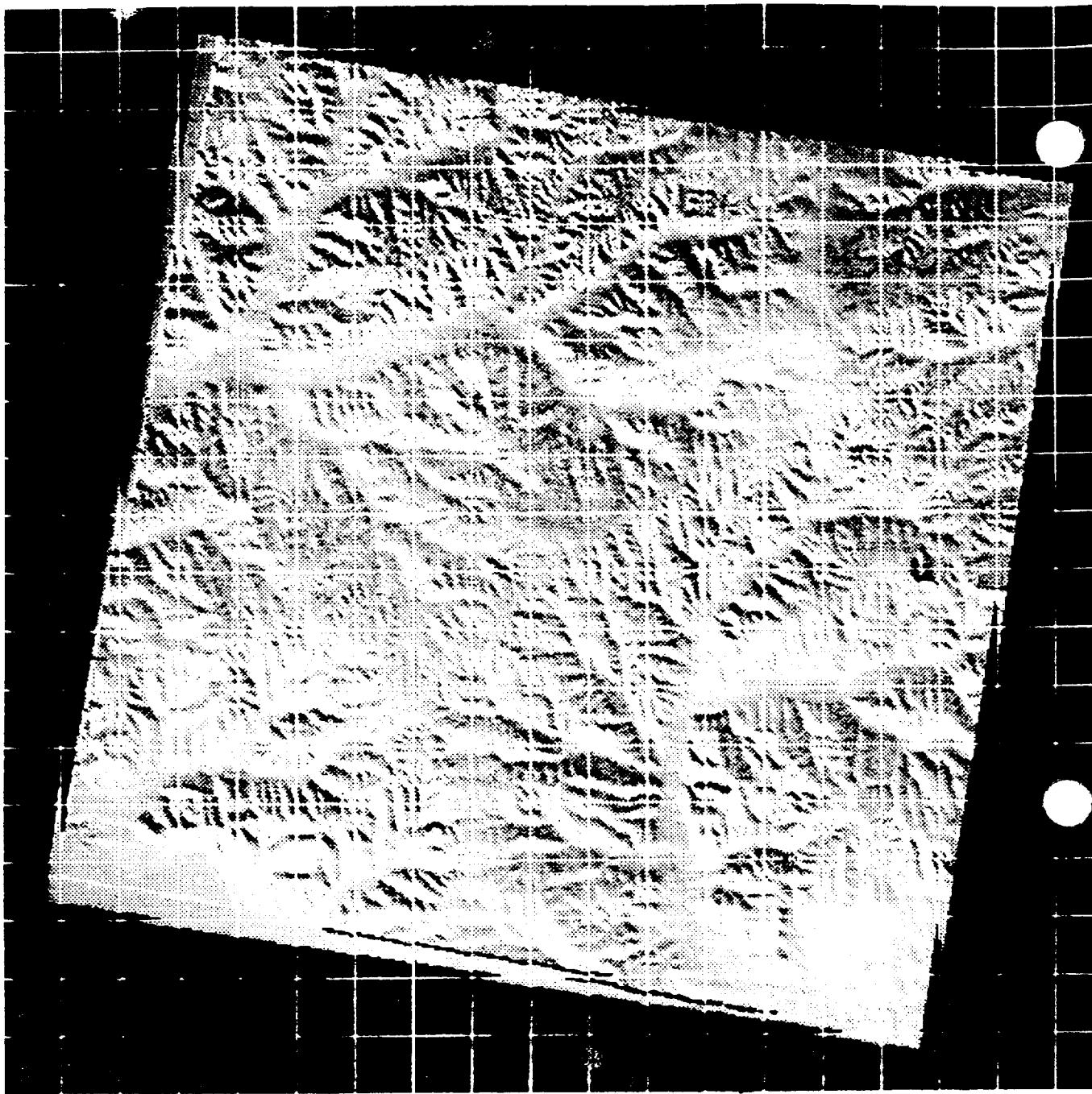
Zibordi and Voss sky irradiance model:
standard atmospheric parameters
nominal RGB wavelengths (nm) : 800, 600, 500
computed at 1 degree intervals
24-bit to QMS

Direct vs Diffuse Irradiance: Z&V and 5S



TM Band 1 Sensor RSR and 16 Sampling Intervals



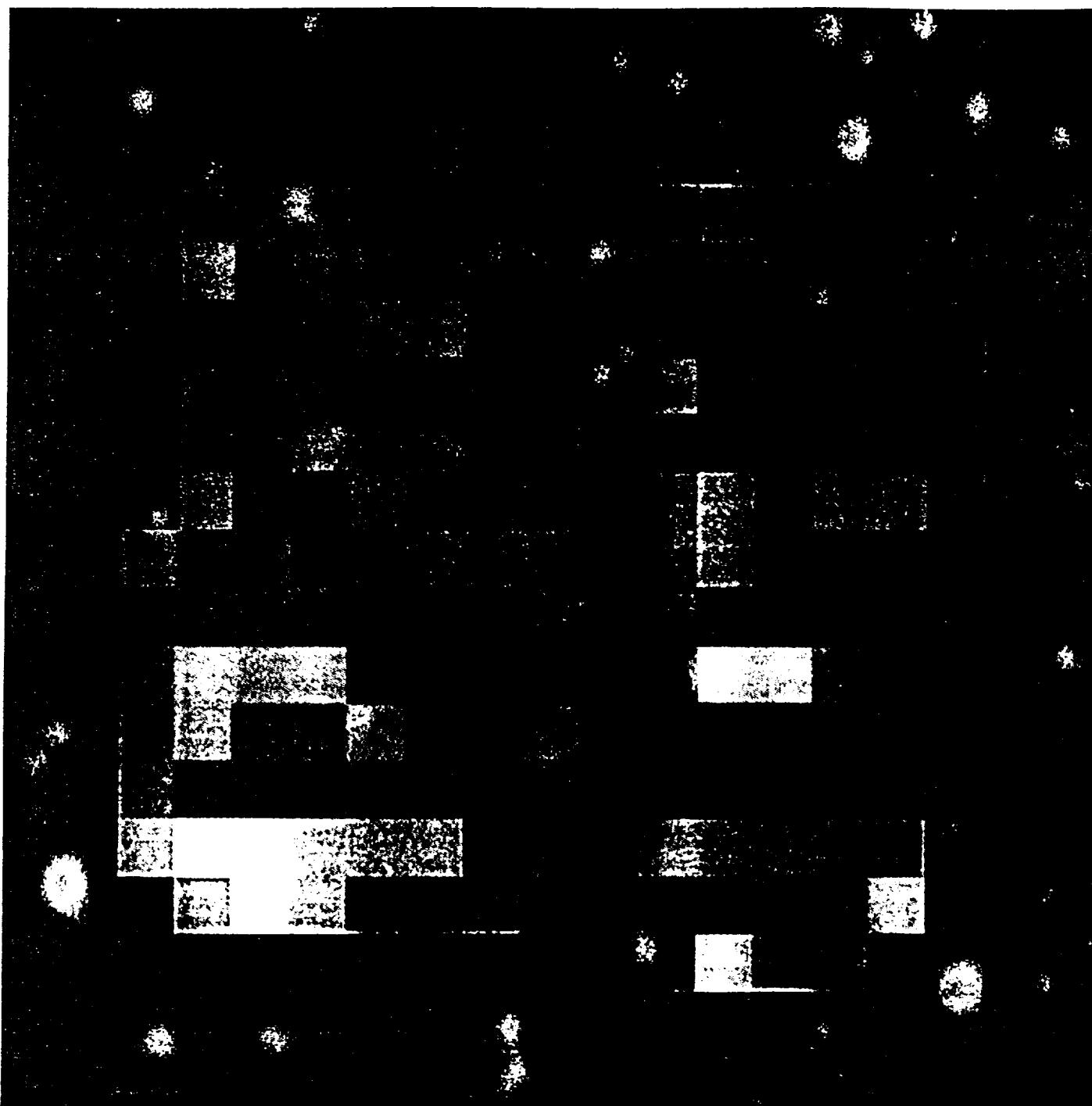


AVHRR band 1 simulation of FIFE DEM with PVD sugarbeet model

- 19x19 pixel AVHRR scene with sub-pixel contents -

simulated with no diffuse sampling (direct irradiance only) (DN range maps to reflectance 0.024 to 0.032)

FIFE AVHRR Channel 1 Simulation 1



AVHRR channel 1 simulated Radiance:

FIFE Site August 7th 1989, 19.57 GMT;

Imaging Parameters: View Azimuth 260.2, View Zenith 17.5

Irradiance Parameters: Solar Azimuth 225.5, Solar Zenith 29.2

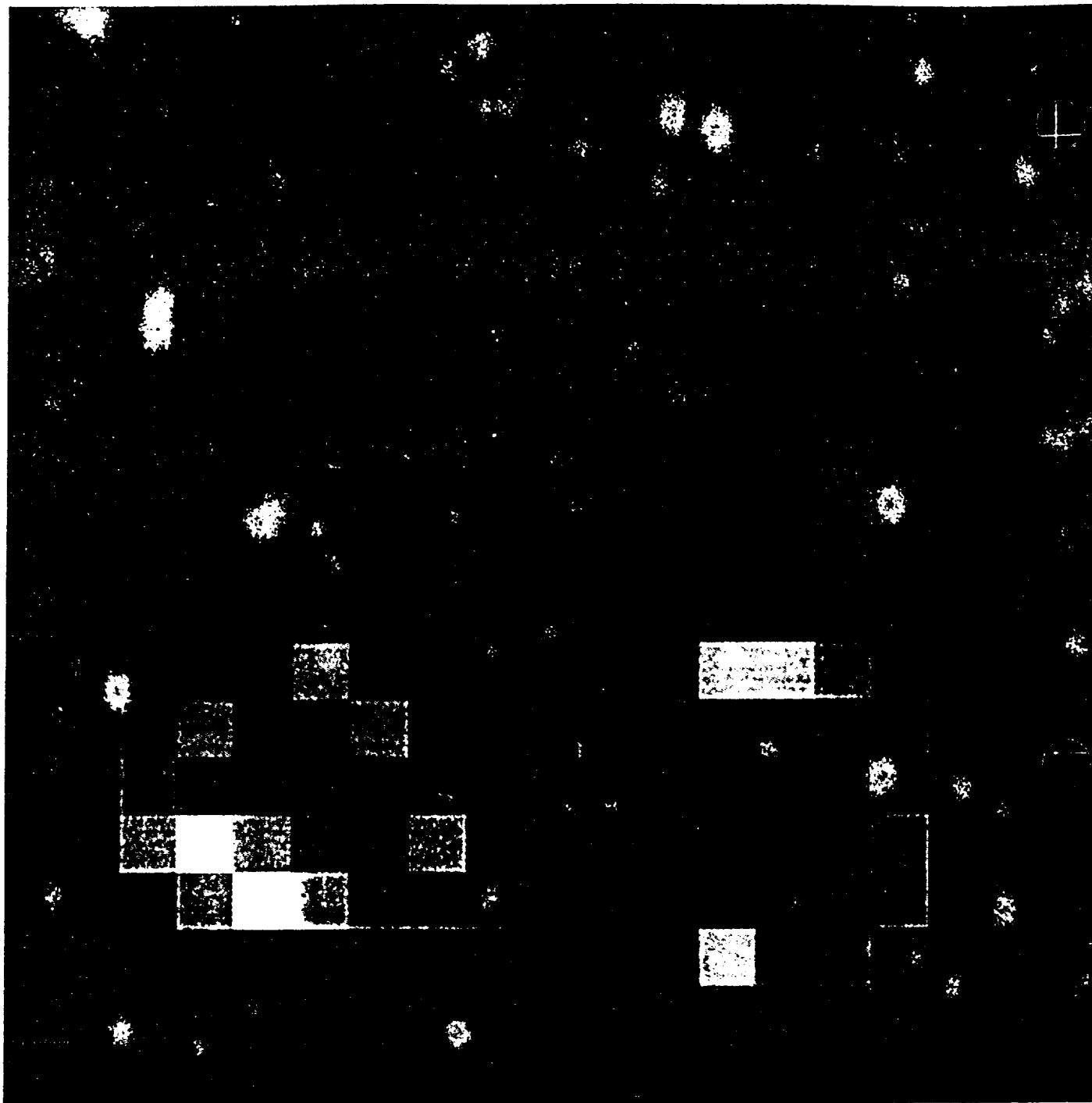
Simulation Parameters: 100x100x4 primary rays per AVHRR IFOV

Convergence to 1% in radiance per pixel

Range: max = 39.37, min = 37.05, ($\text{W m}^{-2} \text{ um}^{-1}$)

BRDF: PVD Model "Soybean" (from PVD, JGR Vol 95, July 1990)

FIFE AVHRR Channel 2 Simulation ..



AVHRR channel 2 simulated Radiance:

FIFE Site August 7th 1989, 19.57 GMT;

Imaging Parameters: View Azimuth 260.2, View Zenith 17.5

Irradiance Parameters: Solar Azimuth 225.5, Solar Zenith 29.2

Simulation Parameters: 100x100x4 primary rays per AVHRR IFOV

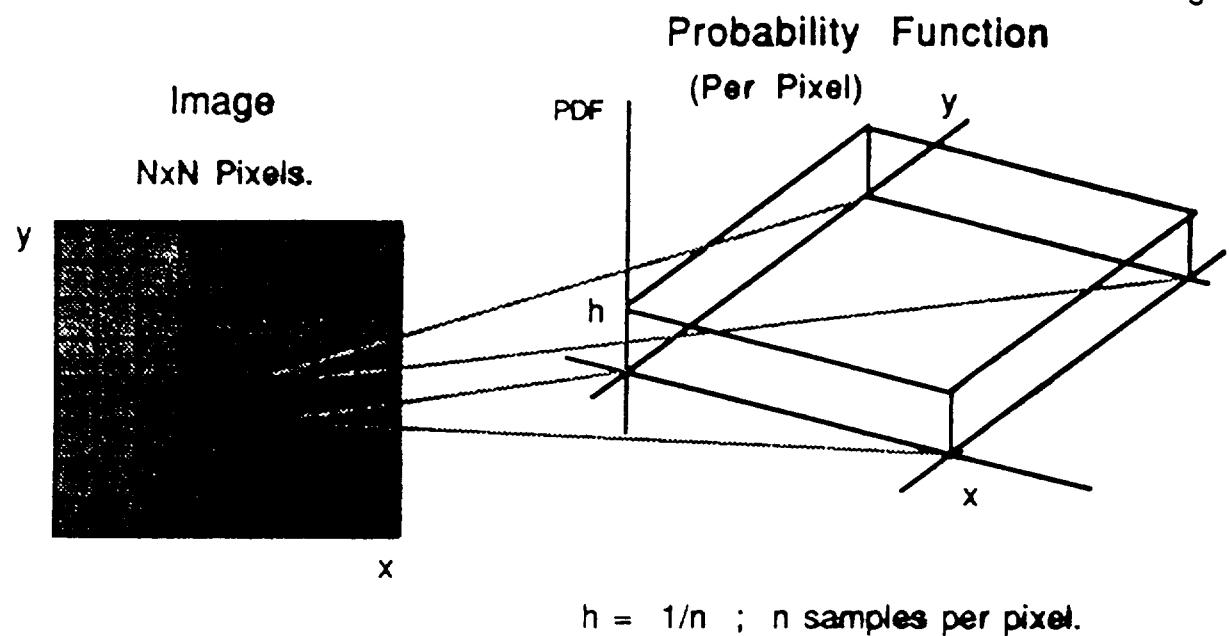
Convergence to 1% in radiance per pixel

Range: max = 344.4, min = 324.1, ($\text{W m}^{-2} \mu\text{m}^{-1}$)

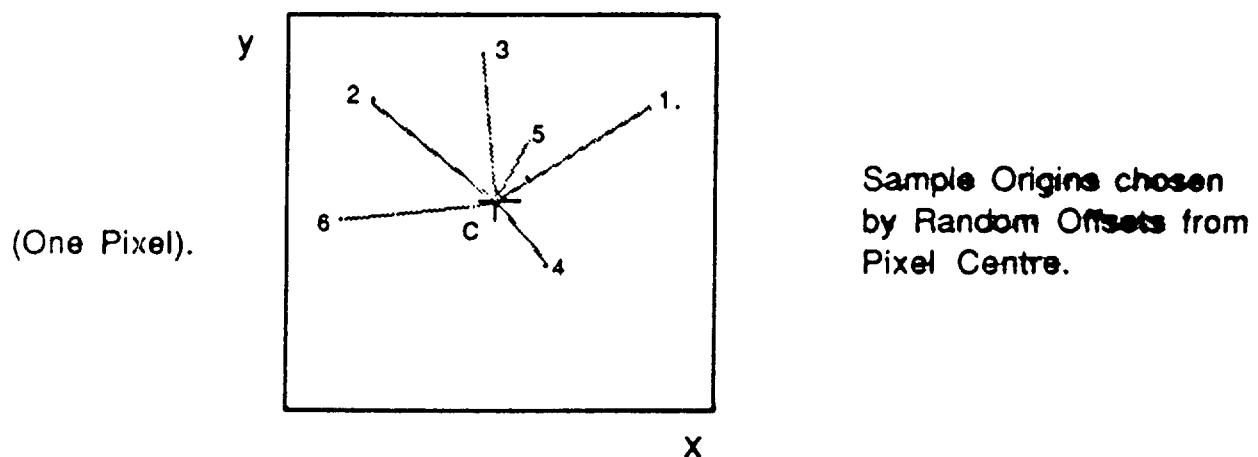
BRDF: PVD Model "Soybean" (from PVD, JGR Vol 95, July 1990)

Spatial Sampling. (for ray origin).

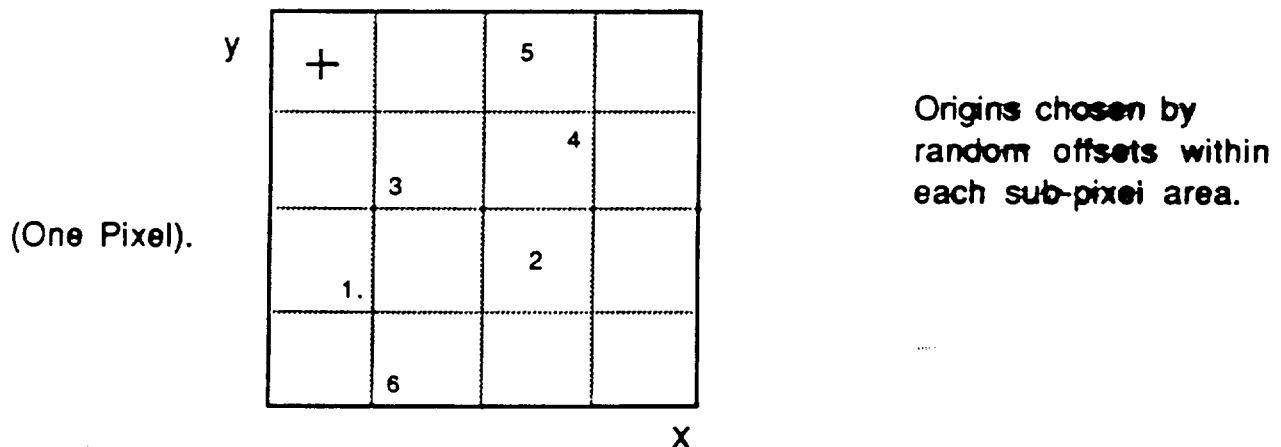
Figure 4.



Classical Monte Carlo sampling.

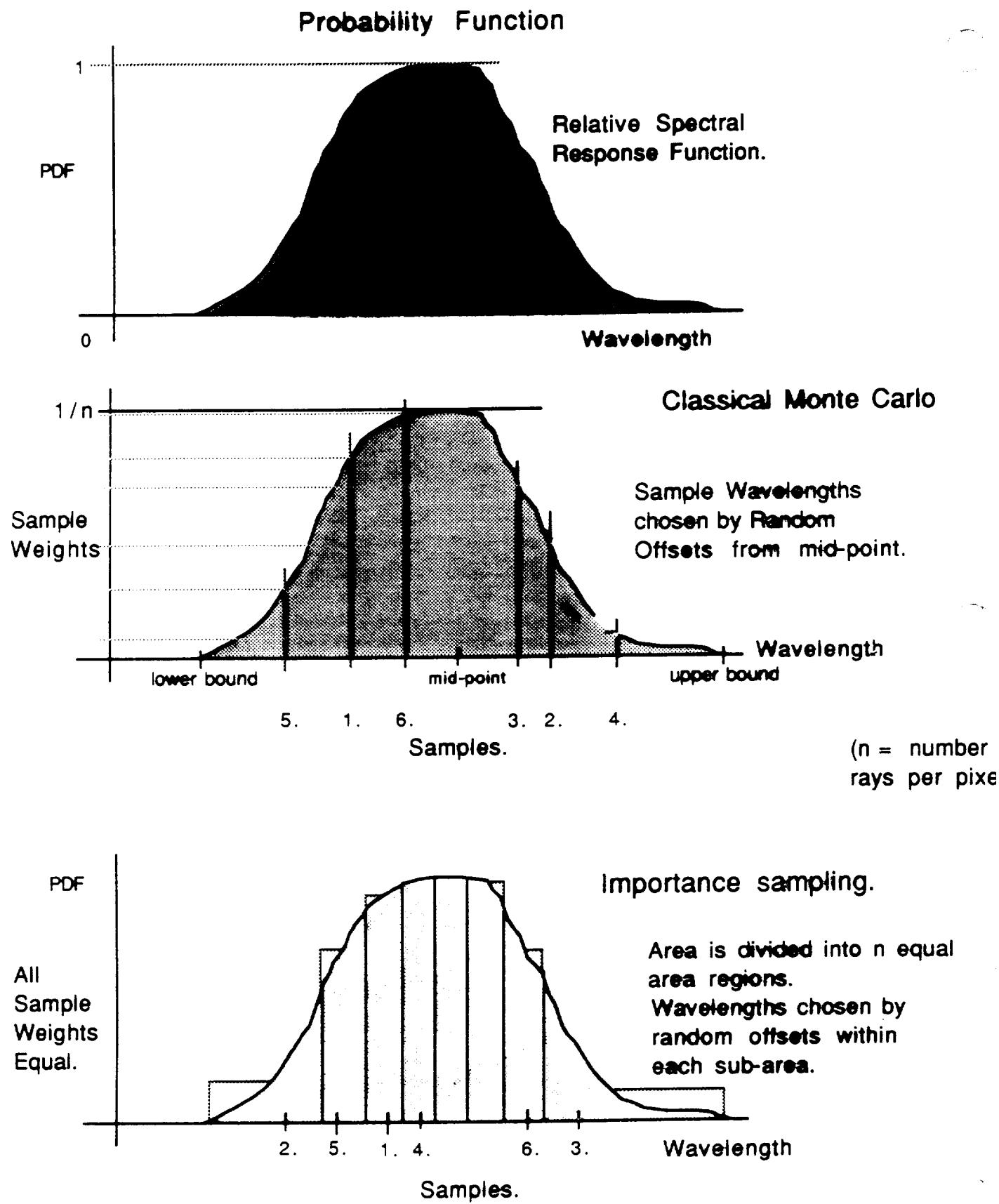


Importance sampling.



Wavelength Sampling.

Figure 5.



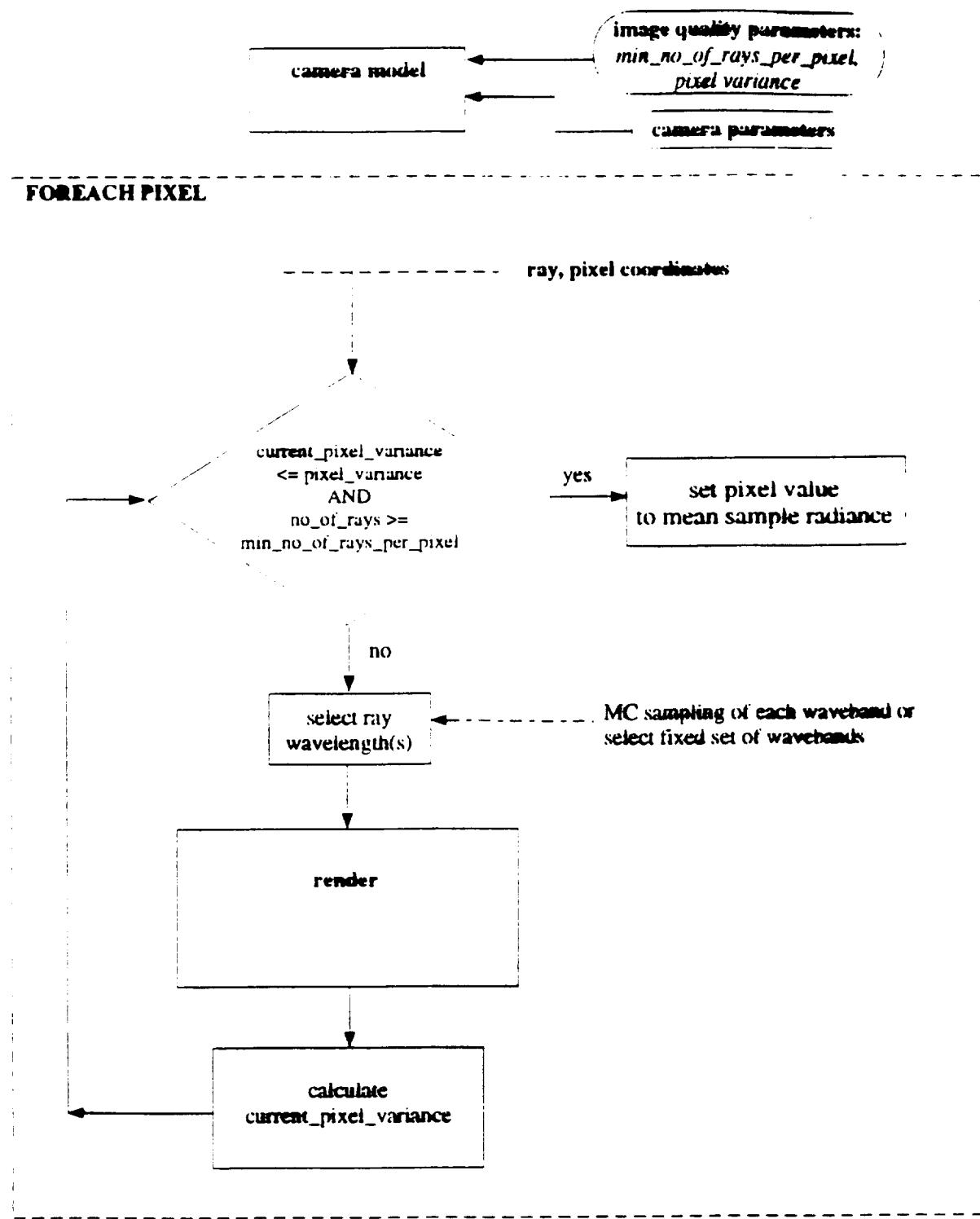


figure 1. flow diagram of ARARAT : origination and processing of primary rays

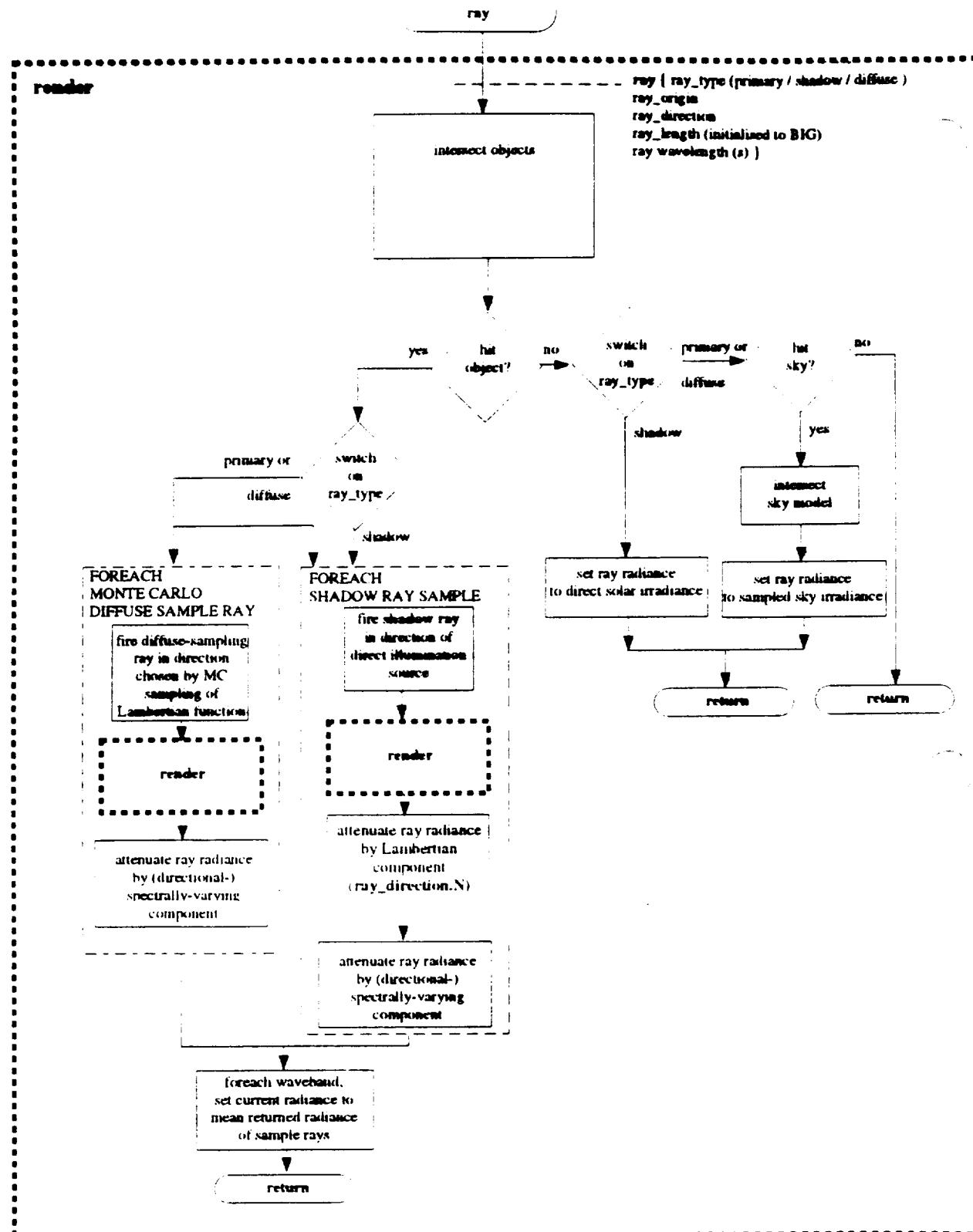
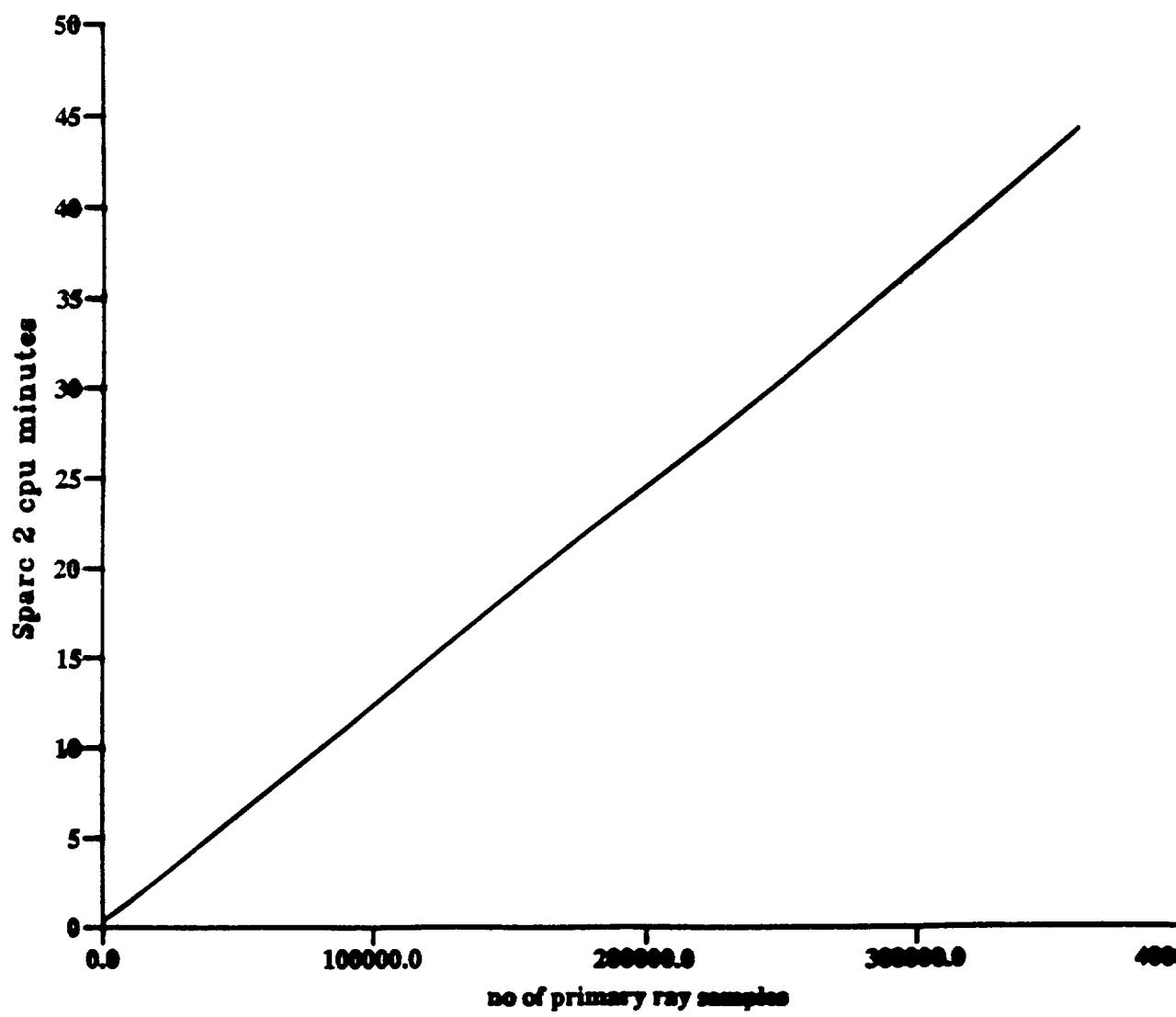


figure 2. flow diagram of the function `render`
(note the recursive call to function `render`)



ARARAT PROCESSING TIMES:
25M DEM, DIFFUSE SAMPLING

ARARAT PROCESSING TIMES

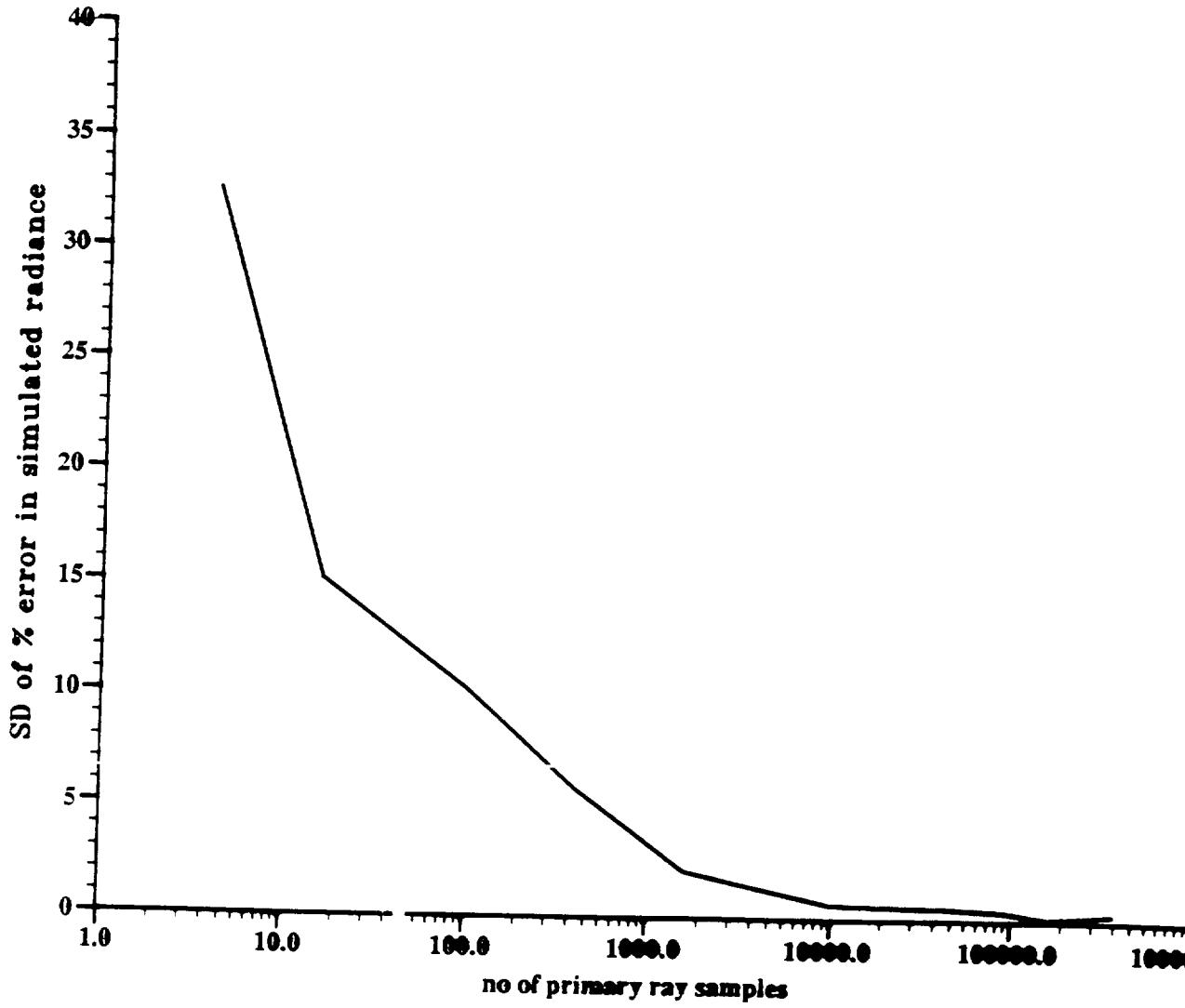
(FLAT PLANE - DIFFUSE SAMPLING)

machine type	processing time (cpu secs)
SGI powers series VGX	107
SPARCstation 2	239
SPARCstation 1+	268
SPARCstation IPC	265
SGI personal IRIS-4D	306
SPARCstation 1	321
SPARCstation SLC	341

Table 1 processing times for processing 500000 diffuse samples

machine type	relative processing time
SGI powers series VGX	0.45
SPARCstation 2	1.00
SPARCstation 1+	1.09
SPARCstation IPC	1.11
SGI personal IRIS-4D	1.28
SPARCstation 1	1.34
SPARCstation SLC	1.43

Table 2 processing times relative to SPARCstation 2



Pixel Integral Convergence with N samples.

Single PFC Attributed pixel simulation with PVS

SGD method, 2,600,000 Ray - PFC DEM

Possible Models

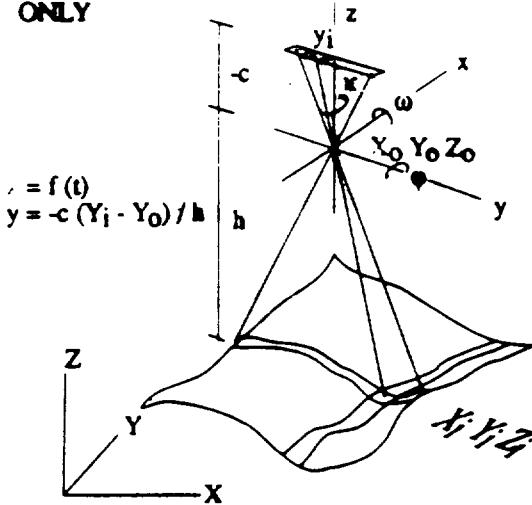
- 1) polynomial collinearity model (PCM)
- 2) equivalent photography model (EPM)
- 3) additional parameter model (APM)

...they are all adaptations of the collinearity approach.

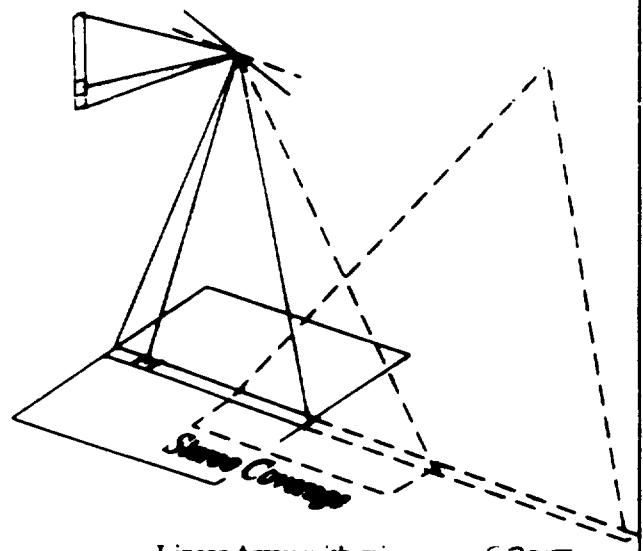
APM (3) is chosen as the best approach to ASAS and MISR because it handles image deformation better than the others.

APM = collinearity model for linear array sensors + additional parameters

Valid for one Line
ONLY



Vertical linear Array — ASAS
MUSA



Linear Array with missing — SPOT

$$\begin{bmatrix} X_i \\ Y_i \\ Z_i \end{bmatrix} = \begin{bmatrix} X_0 \\ Y_0 \\ Z_0 \end{bmatrix} + \Delta * R * \begin{bmatrix} x_i \\ y_i \\ -c \end{bmatrix}$$

$$\begin{bmatrix} x_i \\ y_i \\ -c \end{bmatrix} = 1/\Delta_i * A \begin{bmatrix} X_i - X_0 \\ Y_i - Y_0 \\ Z_i - Z_0 \end{bmatrix}$$

R = 3 Dimensional Orthogonal
Rotation Matrix $A = R^{-1} = R^T$

$$A = \begin{bmatrix} \cos\alpha & \sin\alpha & 0 \\ -\sin\alpha & \cos\alpha & 0 \\ 0 & 0 & 1 \end{bmatrix} \cdot \begin{bmatrix} \cos\beta & 0 & \sin\beta \\ 0 & 1 & 0 \\ -\sin\beta & 0 & \cos\beta \end{bmatrix} \cdot \begin{bmatrix} 1 & 0 & 0 \\ 0 & \cos\gamma & \sin\gamma \\ 0 & -\sin\gamma & \cos\gamma \end{bmatrix} = \begin{bmatrix} a_{11} & a_{12} & a_{13} \\ a_{21} & a_{22} & a_{23} \\ a_{31} & a_{32} & a_{33} \end{bmatrix}$$

direct equations

$$0 = -c \frac{a_{11}(X_i - X_0) + a_{12}(Y_i - Y_0) + a_{13}(Z_i - Z_0)}{a_{31}(X_i - X_0) + a_{32}(Y_i - Y_0) + a_{33}(Z_i - Z_0)}$$

$$y_i = -c \frac{a_{21}(X_i - X_0) + a_{22}(Y_i - Y_0) + a_{23}(Z_i - Z_0)}{a_{31}(X_i - X_0) + a_{32}(Y_i - Y_0) + a_{33}(Z_i - Z_0)}$$

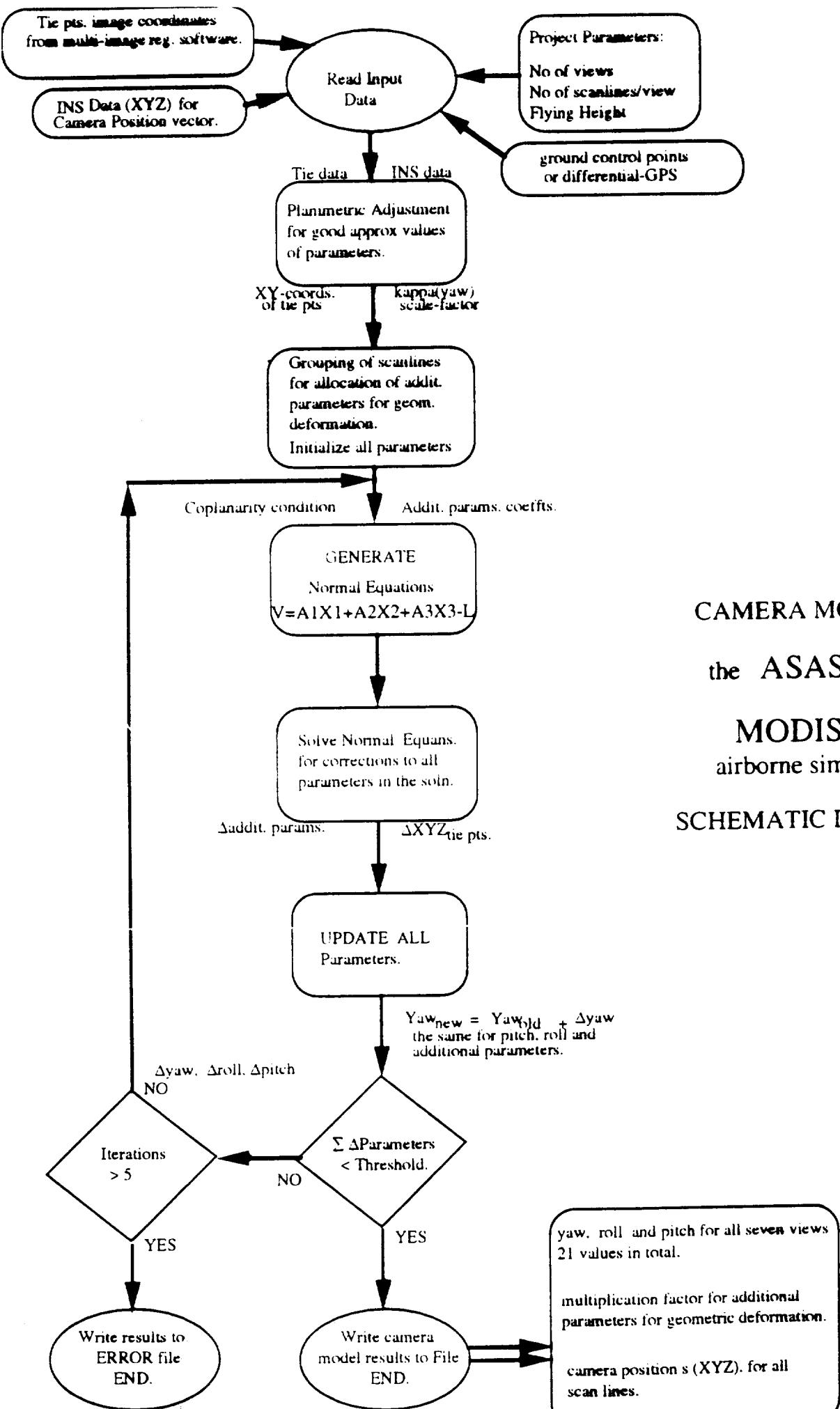
inverse equations

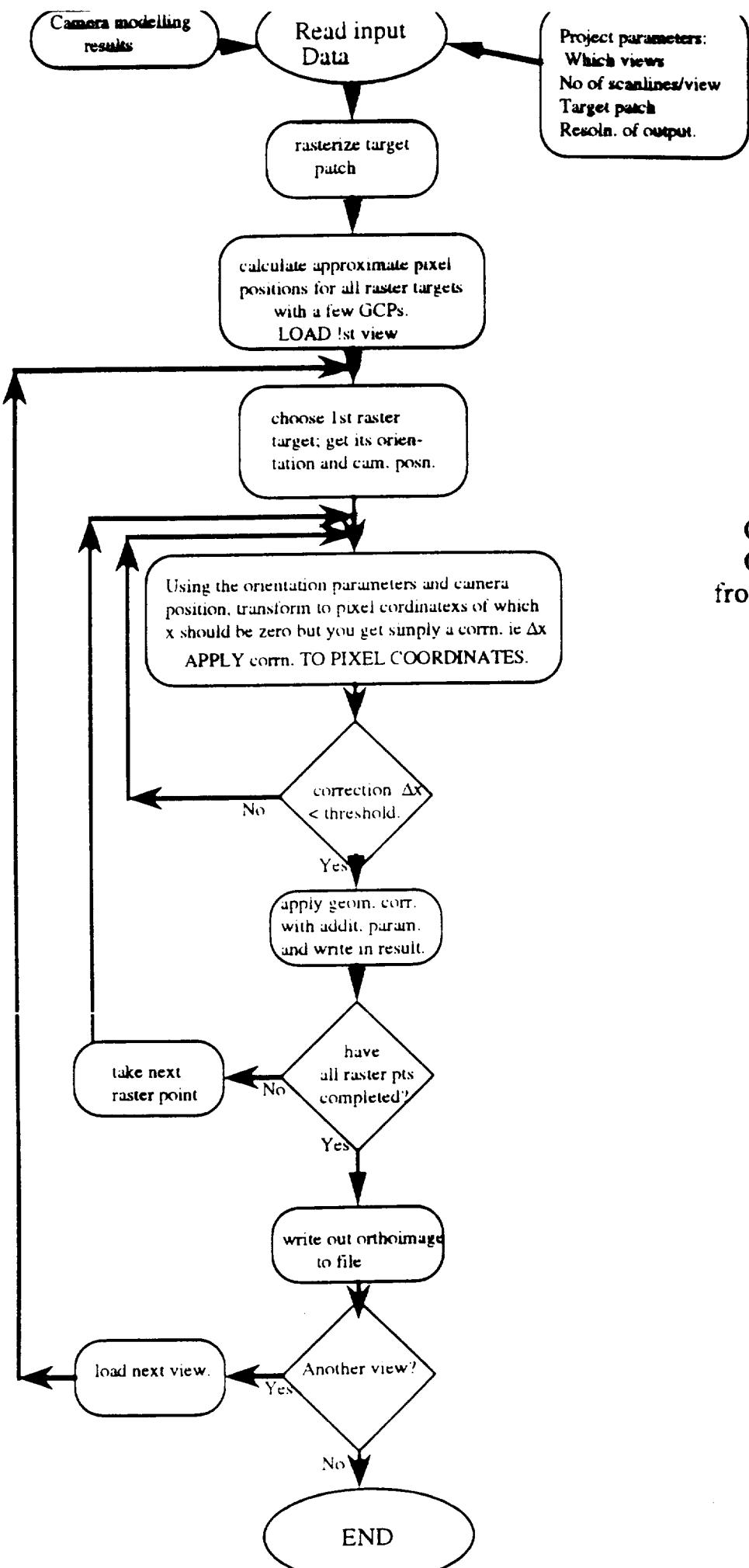
$$(X_i - X_0) = (Z_i - Z_0) \frac{a_{21}y_i - a_{31}c}{a_{23}y_i - a_{33}c}$$

$$(Y_i - Y_0) = (Z_i - Z_0) \frac{a_{22}y_i - a_{32}c}{a_{23}y_i - a_{33}c}$$

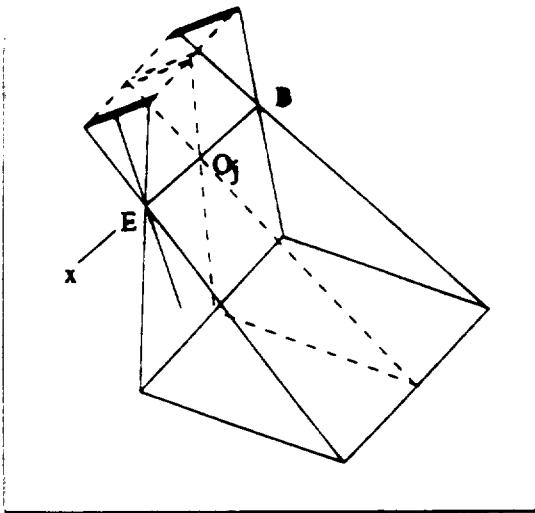
**CAMERA MODEL of
the ASAS and
MODIS-N
airborne simulator**

SCHEMATIC DIAGRAM





ORTHOPHOTO GENERATION
from images of linear array sensor



$$\begin{bmatrix} x_{0j} \\ y_{0j} \\ z_{0j} \end{bmatrix} = \begin{bmatrix} x_{0B} \\ y_{0B} \\ z_{0B} \end{bmatrix} + d_j / d_{\text{line}} \begin{bmatrix} x_{0E} - x_{0B} \\ y_{0E} - y_{0B} \\ z_{0E} - z_{0B} \end{bmatrix}$$

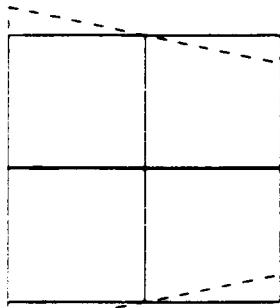
The collinearity equation is valid
for each line.

$$\begin{bmatrix} x_i \\ y_i \\ z_i \end{bmatrix} = 1/\lambda_i \cdot A \begin{bmatrix} x_i - x_{0j} \\ y_i - y_{0j} \\ z_i - z_{0j} \end{bmatrix}$$

The central $\times \varphi \infty$ is chosen A instead of A_j

Choice of additional parameters:

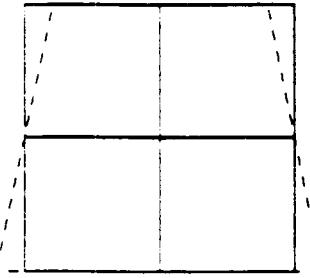
κ change



$$Vx = -b^3(2x^2 - 4b^2)/3$$

$$Vy = b^3(xy)$$

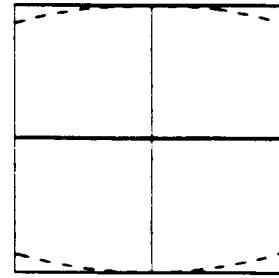
φ change



$$b^4(xy)$$

$$b^4(2y^2 - 4b^2)/3$$

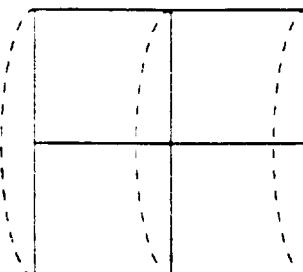
φ change



$$b^5(x^2 - 2b^2)/3$$

center curvature
for φ change

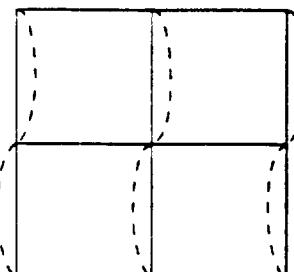
ω change



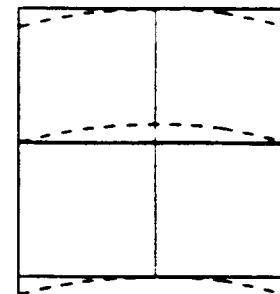
$$Vx = b^1(y^2 - 2b^2/3)$$

$$Vy = b^1(y^2 - 2b^2/3)$$

ω change

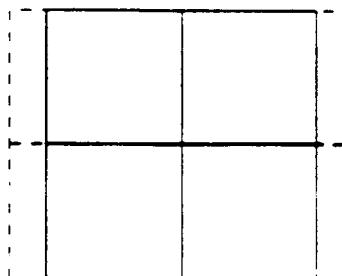


$$b^2(2b^2 - y^2) / 2y^2$$



$$b^6(x - 2b)/3$$

affinity



$$Vx = b^7(x)$$

$$Vy = b^7(y)$$

Additional Parameters Model

MODCAL 1992 Work Plan

- "ARARAT" imaging geometry extended to MODIS, AVHRR and ATSR
- "ARARAT" ported to parallel transputer array and multi-processor SGI workstation to enable larger simulation experiments to be run
- "ARARAT" to be tested over a wider variety of different sites where DEMs are available or UCL can generate from supplied stereo-optical data (HAPEX-SAHEL, BOREAS)
- "ARARAT" to be extended to clouds using DEMs and internal cloud droplet distributions from ATSR & JERS-1
- Simulations to study topographic requirements, sensitivity to different atmospheric correction schemes, effect of different calibration accuracies.
- Comparisons to be made with use of simulated MODIS imagery from LANDSAT-TM imagery (jointly with GSFC?)
- Continuing severe difficulties with funding this program from UK sources.